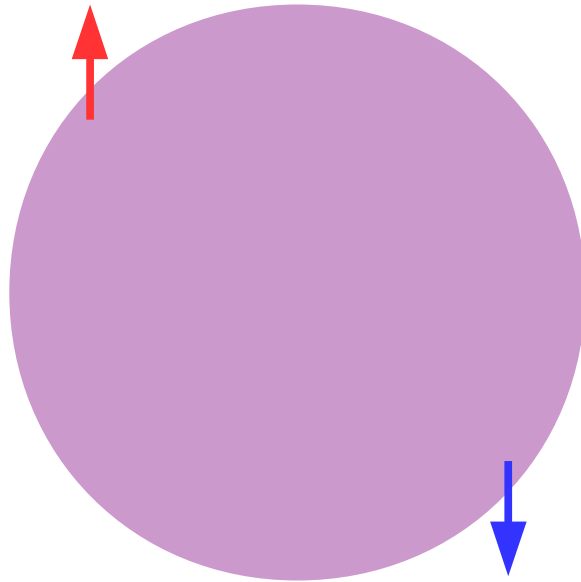


Multi-particle theory of superconductivity

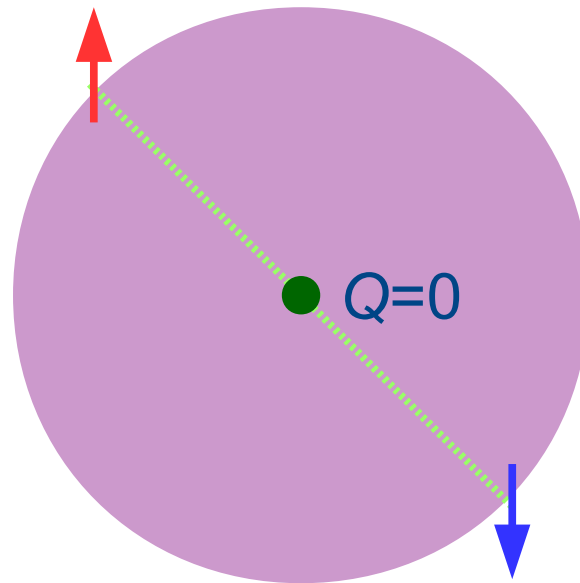
Thomas Whitehead
Gareth Conduit

Theory of Condensed Matter group

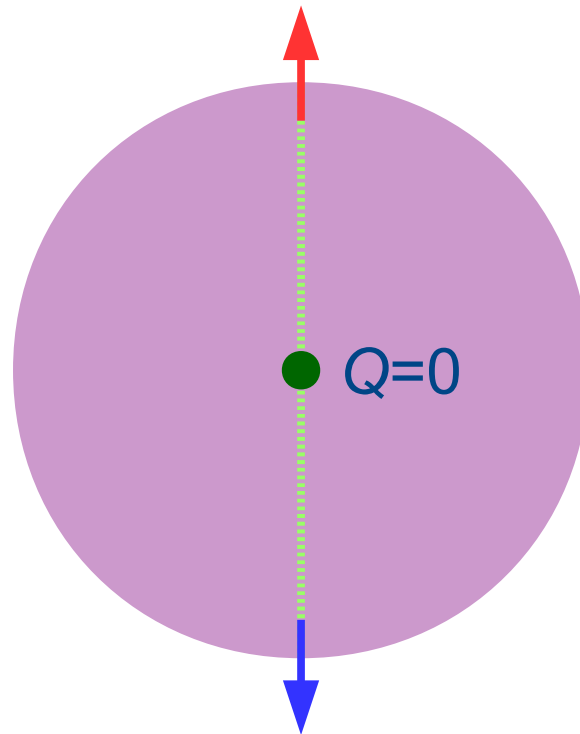
Cooper pair



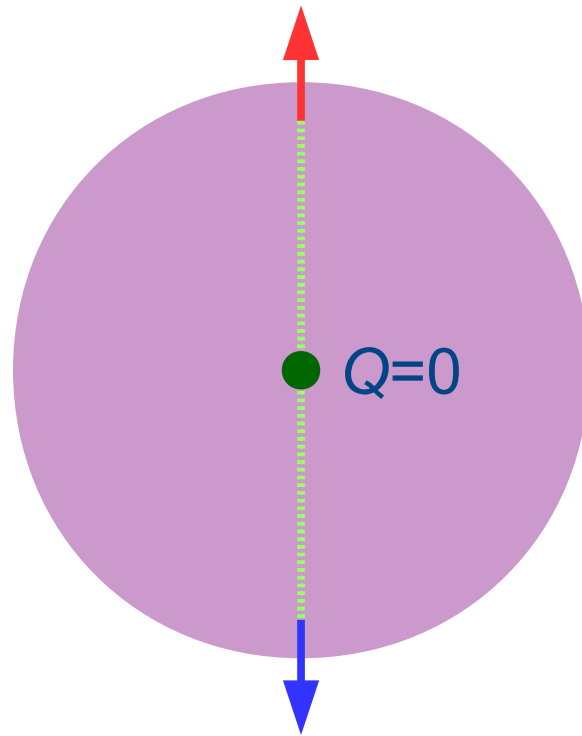
Cooper pair has no center-of-mass momentum



Cooper pair can exchange states

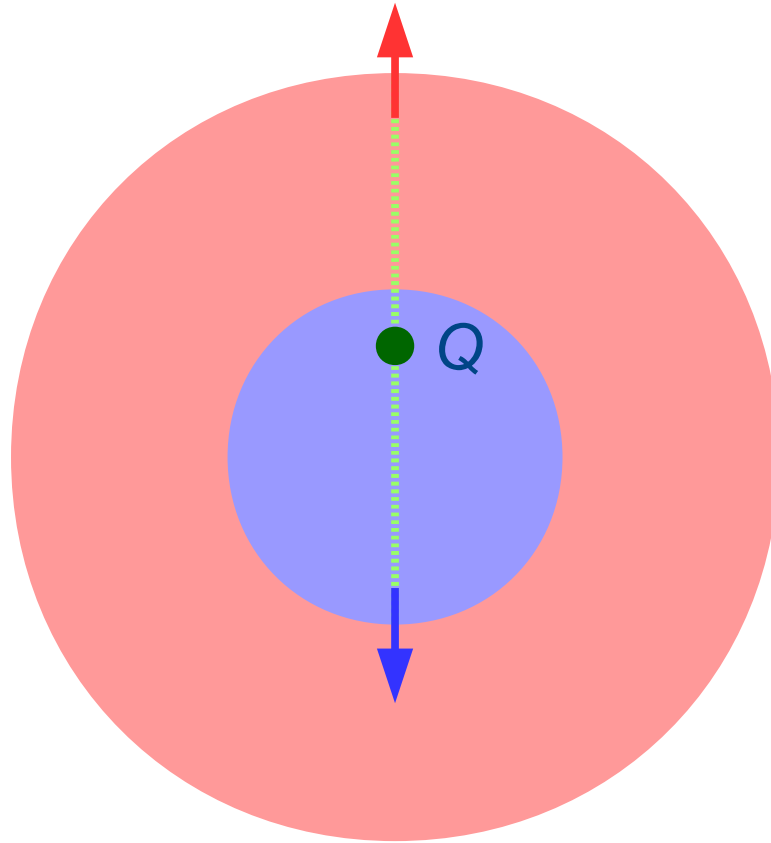


Binding energy of a Cooper pair

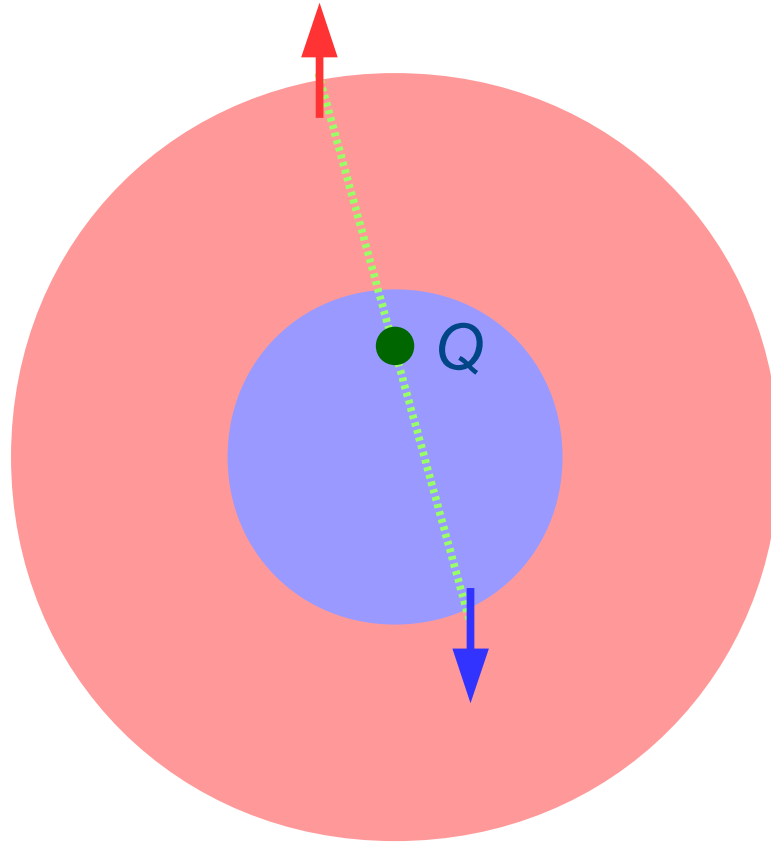


$$E = 2 \omega_D \exp\left(-\frac{2\xi'}{g v_c}\right)$$

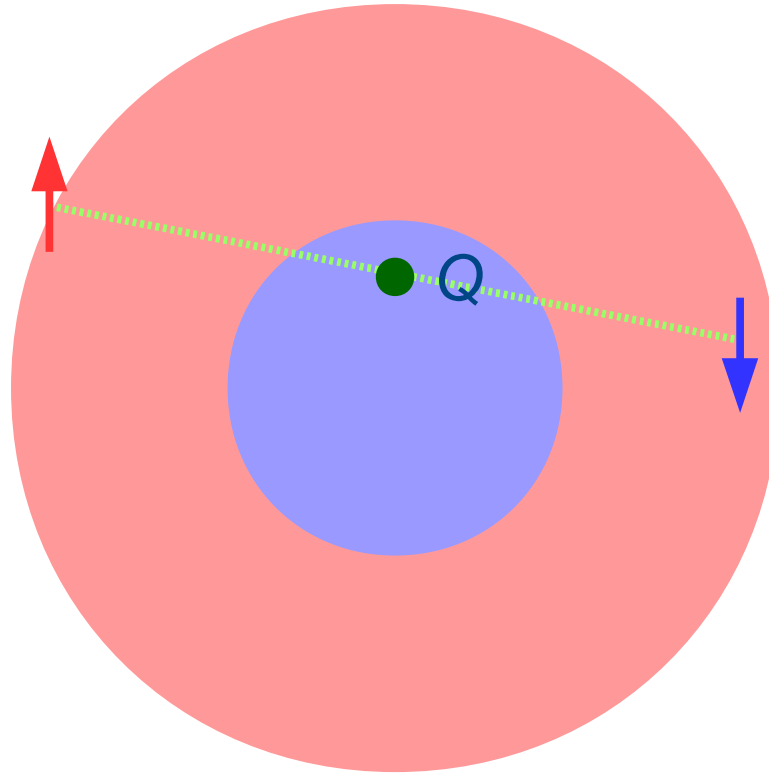
Cooper pair on an imbalanced Fermi sea



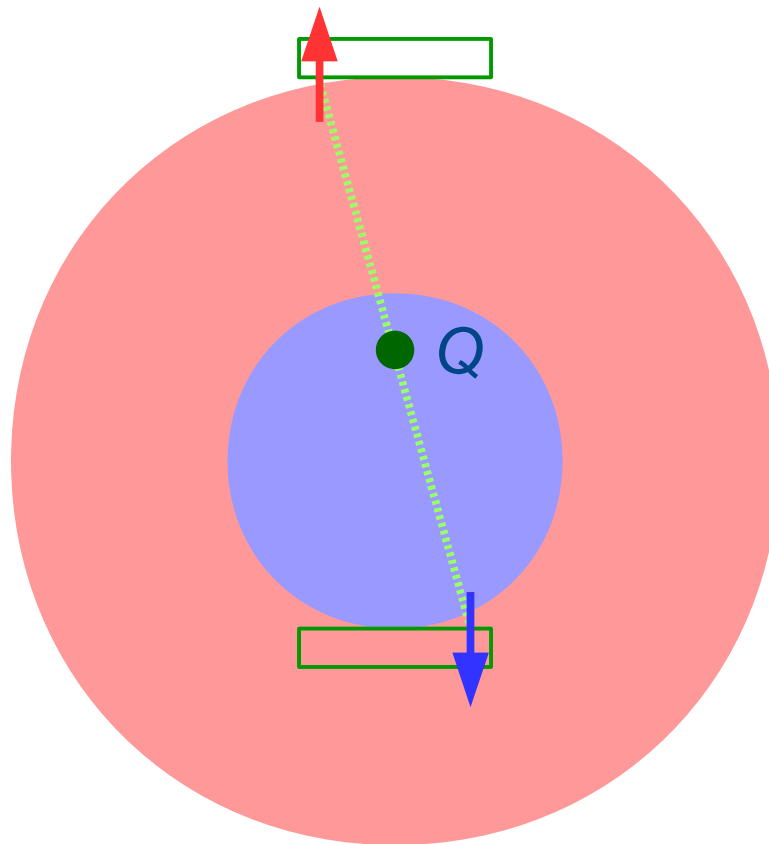
Cooper pair on an imbalanced Fermi sea



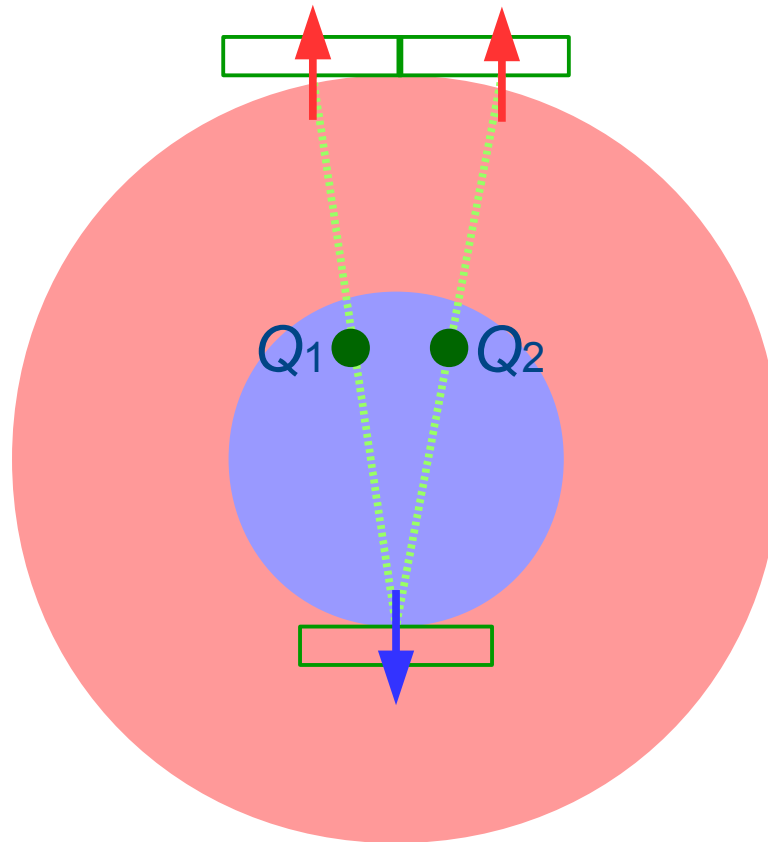
Inaccessible states



States that can be correlated



Take advantage of all available states



Few-particle instability

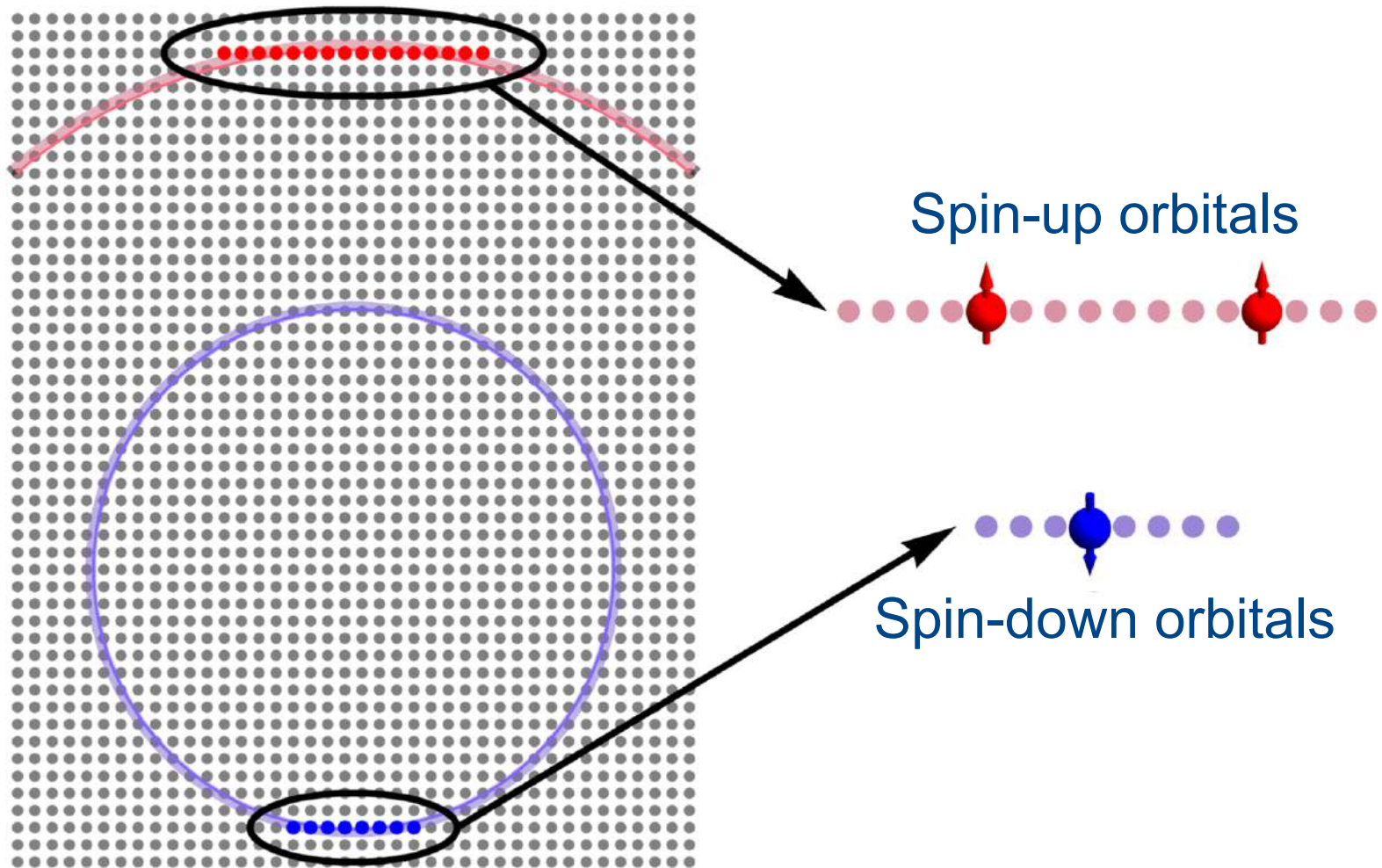
Binding energy of a few-particle instability

$$E = (N_{\uparrow} + N_{\downarrow}) \omega_D \exp\left(-\frac{(N_{\uparrow} + N_{\downarrow}) \xi'}{g N_{\uparrow} N_{\downarrow}} \frac{N_c}{v_c}\right) \quad E = 2 \omega_D \exp\left(-\frac{2 \xi'}{g v_c}\right)$$

Optimal number of up and down spin electrons in an instability

$$\frac{N_{\uparrow}}{N_{\downarrow}} = \frac{v_{\uparrow}}{v_{\downarrow}}$$

Exact diagonalization



Many-body theory

Superconducting transition temperature

$$T_c = \omega_D \exp\left(-\frac{(N_\uparrow + N_\downarrow)\xi'}{2gN_\uparrow N_\downarrow} \frac{N_c}{v_c}\right)$$

Optimal number of up and down spin electrons in an instability

$$\frac{N_\uparrow}{N_\downarrow} = \frac{v_\uparrow}{v_\downarrow}$$

Summary

Optimal number of up and down spin electrons in a Cooper particle is the **ratio** of the **density of states**

Cooper particle is the building block for **superconducting state**, verified by Diffusion Monte Carlo simulations

Energetically **favorable** to FFLO state